

SHORTCUTS IN SELECTION OF TAPE WOUND CORES FOR MAGNETIC CIRCUITRY



SHORTCUTS IN SELECTION OF TOROIDAL TAPE WOUND CORES
FOR MAGNETIC CIRCUITRY

Magnetics Inc. has developed three sets of curves helpful to design engineers working in the areas of INVERTERS, MAGNETIC AMPLIFIERS, and TRANSFORMERS. There is a characteristic curve for each of three materials...Magnesil, Orthonol, and Permalloy 80...in each device area. The curves were developed by solving Faraday's Law and using specific basic assumptions in solving this equation.

Magnetics Inc. core tables (Bulletin TWC-PN and TWC-300) contain a column headed "W_a A_c". This column lists the value of the relative power handling capacity of each core. By equating this value against Faraday's Law, the following relationships have been obtained:

I Solving for Saturating Type Inverter Designs

$$\text{Faraday's Law} = E = 4 B_m A_c N f \times 10^{-8}$$

$$\text{Solving for } N A_c = \frac{E}{4 B_m f \times 10^{-8}}$$

However, the Window Utilization Factor

$$K = \frac{N A_w}{W_a} = .1$$

$$N A_w = .1 W_a$$

Multiply both sides by A_c and transpose

$$N A_c = \frac{.1 W_a A_c}{A_w}$$

Combining and solving for W_aA_c

$$.1 W_a A_c = \frac{E}{4 \times B_m \times f \times 10^{-8}}$$

$$W_a A_c = \frac{E A_w}{.4 \times B_m \times f \times 10^{-8}}$$

$$W_a A_c = \frac{2.5 \times E \times A_w}{B_m \times f \times 10^{-8}}$$

Assume 85% efficiency and 750 cir mils current capacity of wire.
amp

However the primary winding has a 50% duty factor giving a current capacity of $375 \frac{\text{cir mils}}{\text{amp}}$.

Therefore the formula becomes:

$$WaAc = \frac{1.1 \times \text{Power Output}}{B_m \times f \times 10^{-11}}$$

Since the inverter is a saturating device,

$$\begin{aligned} B_m &= 17000 && \text{(Magnesil)} \\ B_m &= 14500 && \text{(Orthonol)} \\ B_m &= 7000 && \text{(Permalloy 80)} \end{aligned}$$

Formulas used for inverter curves are:

$$WaAc = \frac{6.5 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad \text{(Magnesil)}$$

$$WaAc = \frac{7.6 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad \text{(Orthonol)}$$

$$WaAc = \frac{14.3 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad \text{(Permalloy 80)}$$

II Solving for Typical Sine Wave Magnetic Amplifier Designs

$$\text{Faraday Law} = 4.44 B_m A_c N f \times 10^{-8}$$

$$K = .3 \text{ and } WaAc = \frac{.75 \times E \times A_w}{B_m \times f \times 10^{-8}}$$

Assume 94% efficiency and 750 cir mils/amp.

Therefore formula becomes:

$$WaAc = \frac{.60 \times \text{Power Output}}{B_m \times f \times 10^{-11}}$$

Since magnetic amplifiers are saturating devices use B_m noted for Inverters.

Formulas used for Magnetic Amplifier curves are:

$$WaAc = \frac{3.5 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad \text{(Magnesil)}$$

$$W_{aAc} = \frac{4.15 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad (\text{Orthonol})$$

$$W_{aAc} = \frac{9.35 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad (\text{Permalloy 80})$$

III Solving for Typical Transformer Design

Where Flux Swing Doesn't Exceed .5 Bm.

$$\text{Faraday's Law} = E = 4.44 B A_c N f \times 10^{-8}$$

$$K = .2 \text{ and } W_{aAc} = \frac{.89 \times E \times A_w}{B \times f \times 10^{-8}}$$

Assume 95% efficiency and 750 cir mils/amp.

Therefore formula becomes:

$$W_{aAc} = \frac{.70 \times \text{Power Output}}{B \times f \times 10^{-11}}$$

Since B is only 1/2 of the Bm value for each core material,

B = 8500	(Magnesil)
B = 7250	(Orthonol)
B = 3500	(Permalloy 80)

Formulas used for Transformer curves are:

$$W_{aAc} = \frac{8.25 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad (\text{Magnesil})$$

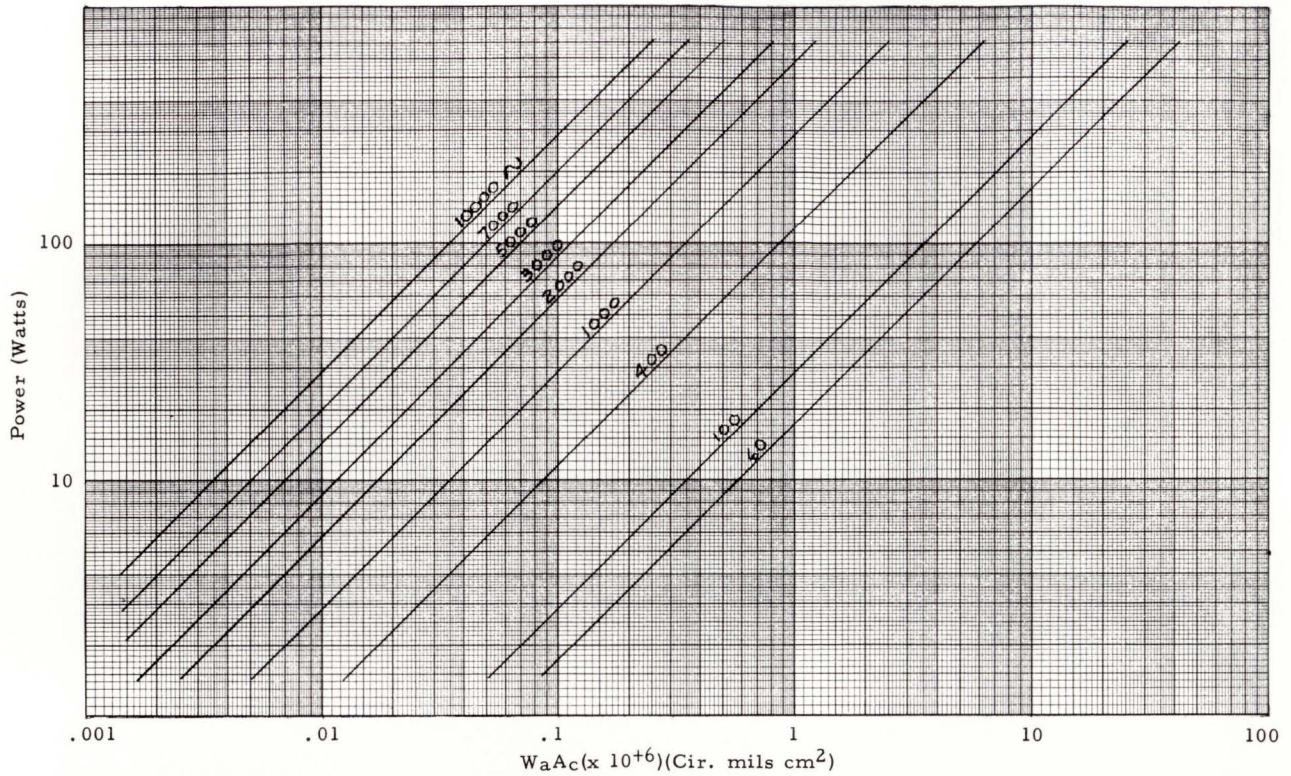
$$W_{aAc} = \frac{9.7 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad (\text{Orthonol})$$

$$W_{aAc} = \frac{20 \times \text{Power Output} \times 10^6}{\text{frequency}} \quad (\text{Permalloy 80})$$

To use the curves, the output power and operating frequency must be known. Select the proper frequency curve from the family of curves chosen. Read across from the power output to the intercept point on the frequency curve. Read down to the proper W_{aAc} value. Refer to TWC-300 or TWC-PN for the selection of the proper core by its W_{aAc} .

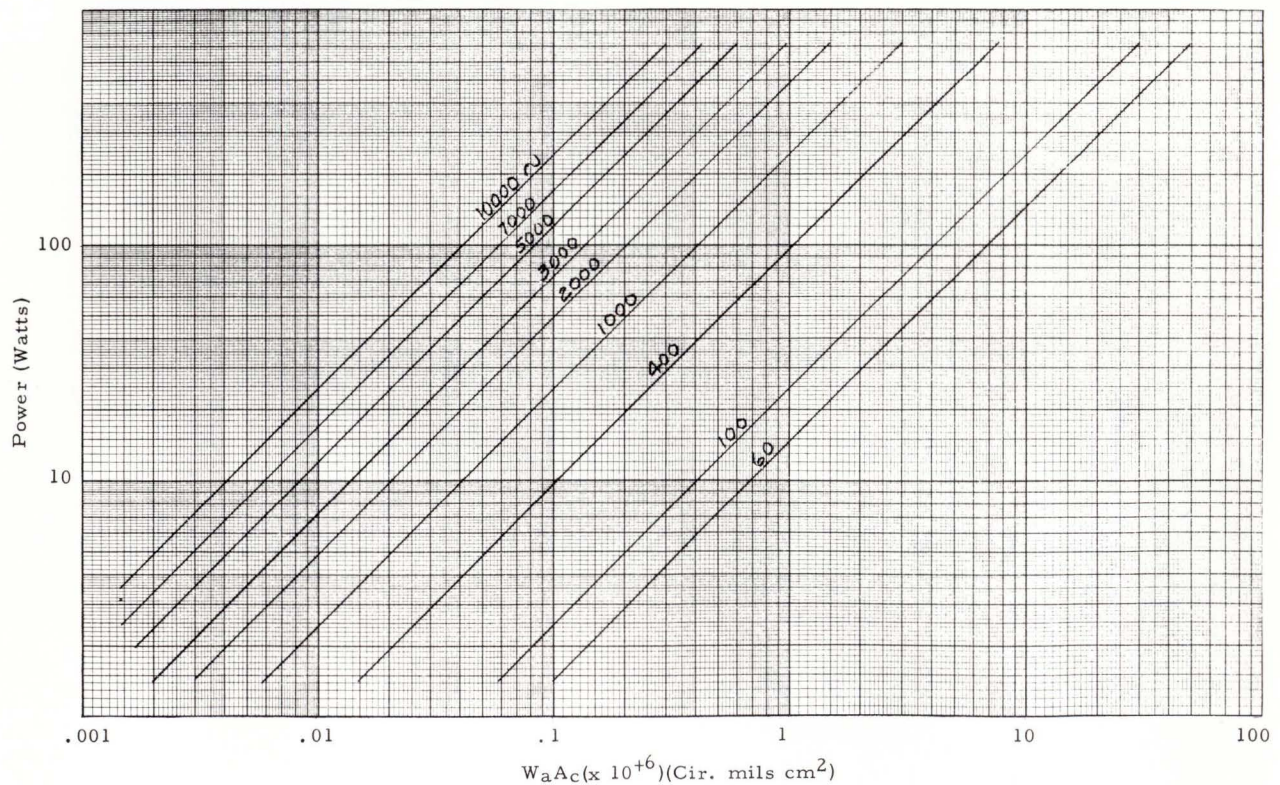
Relationship of Core $W_a A_c$ to Output Power Capability

Magnesil -- Magnetic Amplifiers - Reactors

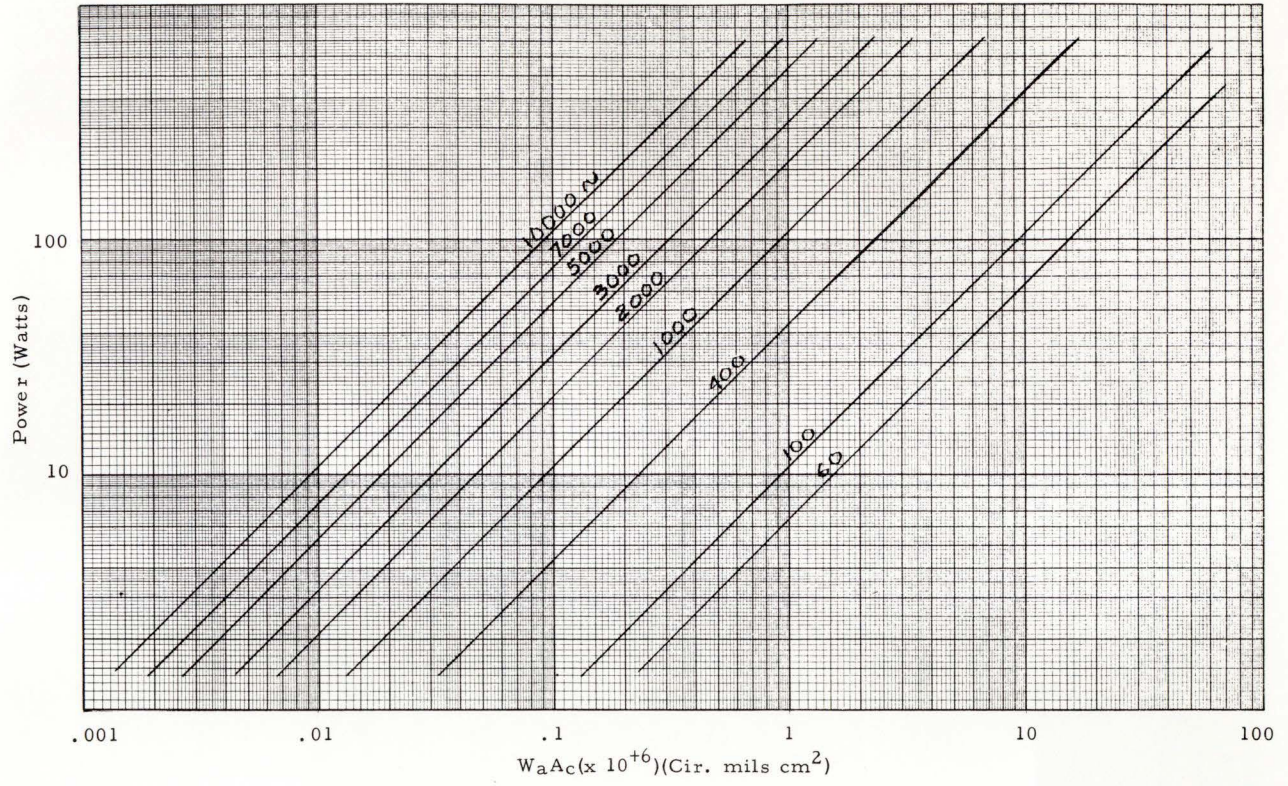


NOTE: These graphs can be used to select a tape wound core from core tables listing the $W_a A_c$ in terms of circular mils centimeters². To use, determine the material to be used, the operating frequency, and the output power. Locate the proper frequency curve and its intercept point at the output power required. Read down from this intercept point to obtain the $W_a A_c$ from the graph.

Orthonol -- Magnetic Amplifiers - Reactors

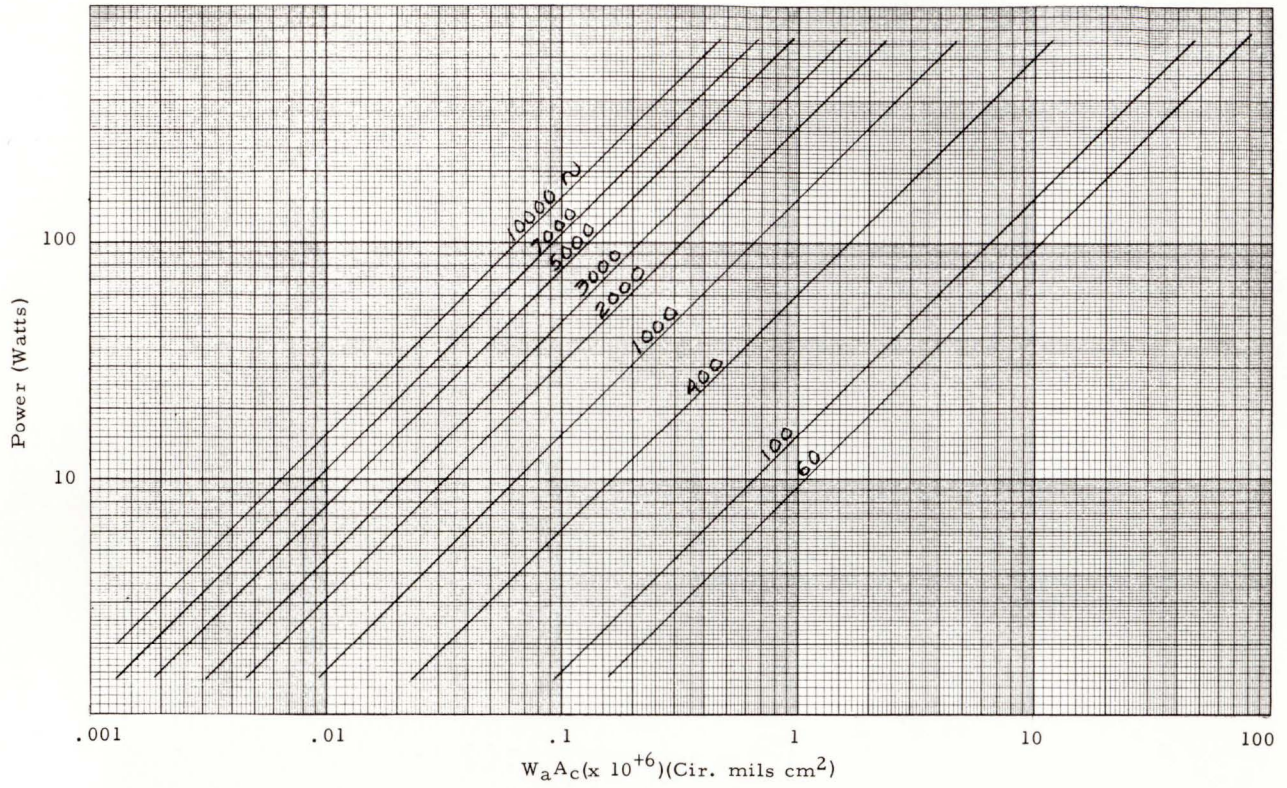


Permalloy 80 -- Magnetic Amplifiers - Reactors

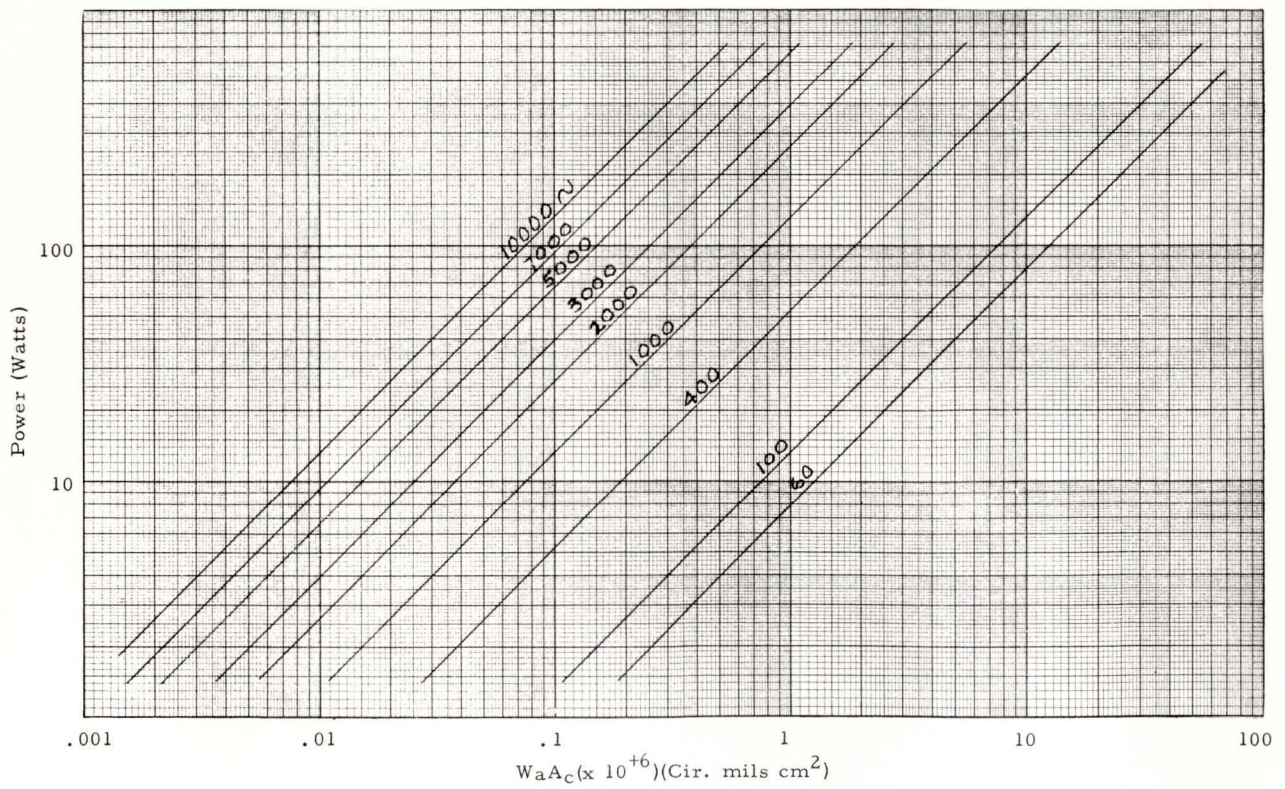


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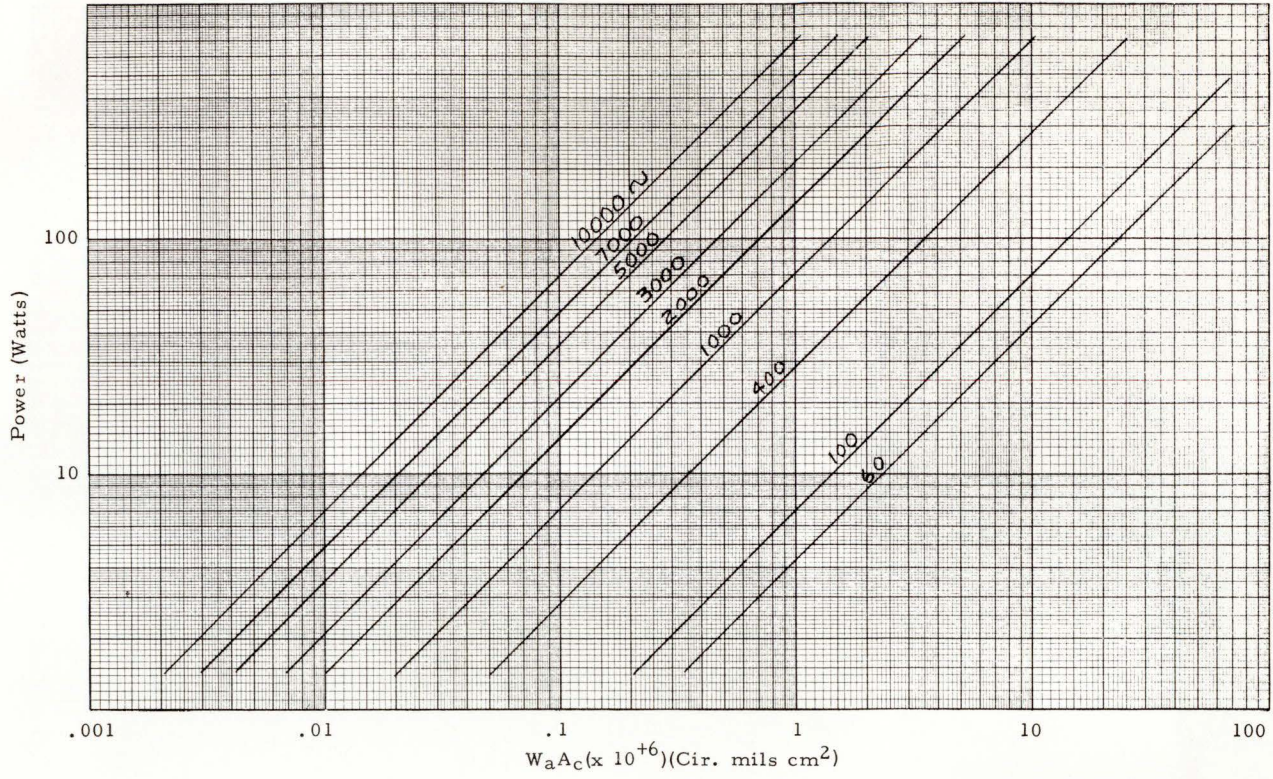
Magnesil -- Inverters



Ortholon -- Inverters

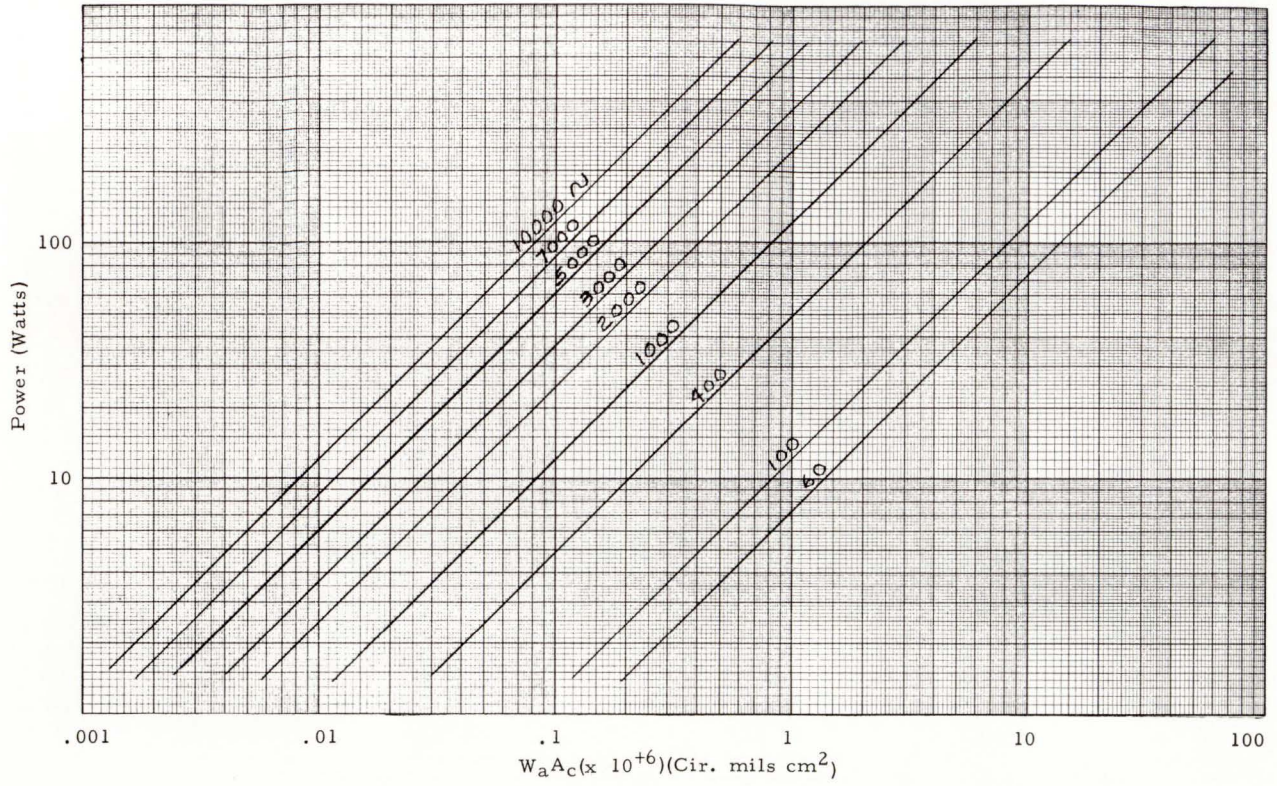


Permalloy 80 -- Inverters

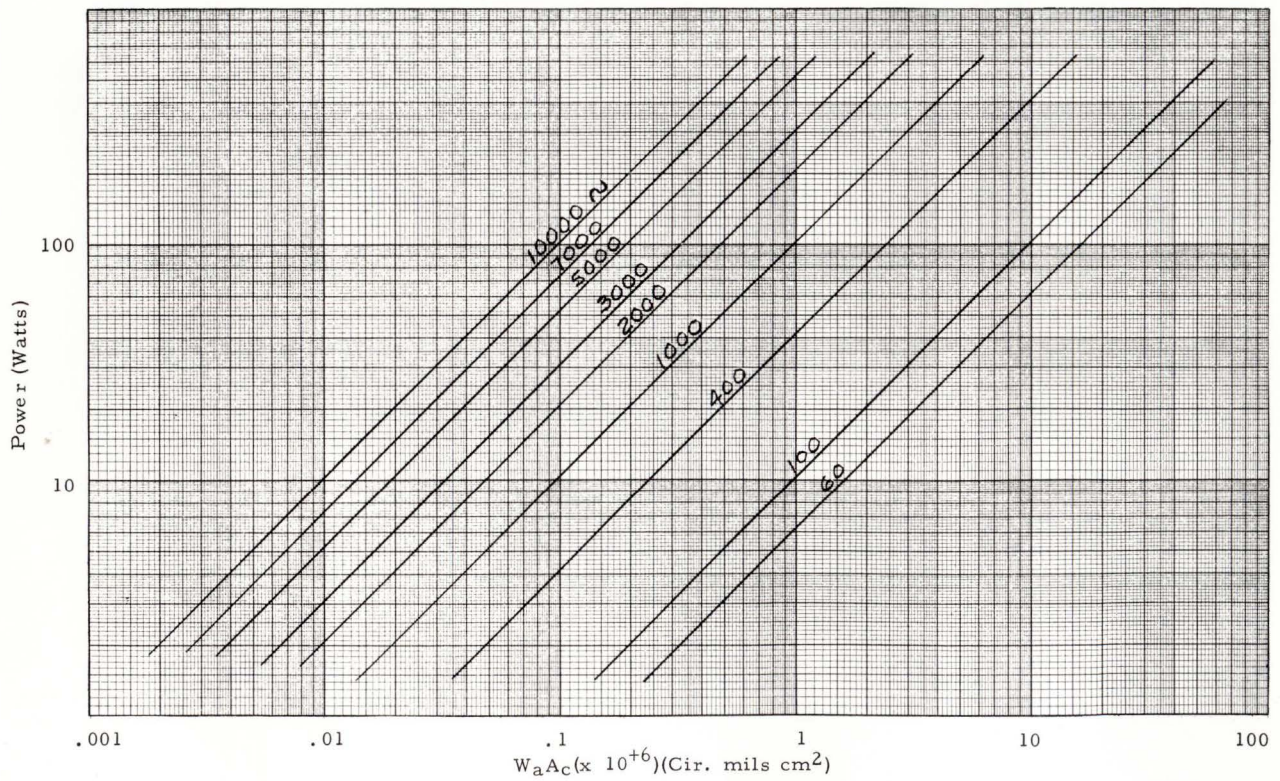


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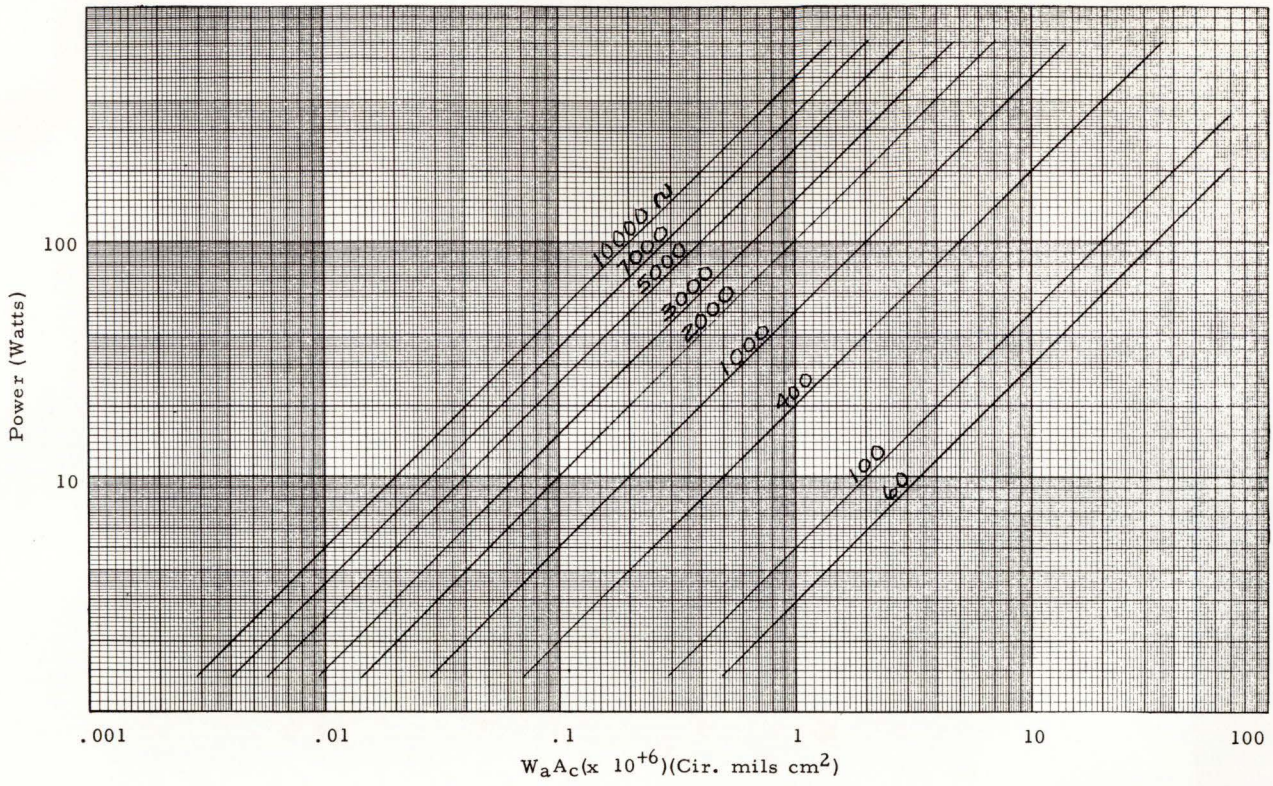
Magnesil -- Transformers



Orthonol -- Transformers



Permalloy 80 -- Transformers



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